

1 Introduction

The Stretchy package (stylized as Stretchy) is a package for creating "stretched" symbols. These are symbols

which can be arbitrarily stretched in some way, for example the e and t in the Stretchy logo itself. Stretchy is a plain-T_EX package, but works with LAT_EX as well. Stretchy works with both pdfT_EX and LuaT_EX.

Stretchy only currently supports the Computer Modern Roman 10pt font. Further support may or may not be added in the future.

Stretchy works by injecting PDF code directly into the underlying file in order to draw shapes that connect parts of preexisting glyphs. For example, take the Stretchy logo: Stre=+chy

the e is made from two horizontal halves of the e glyph, connected by two bars drawn using PDF code, via \pdfliterals. The PDF code is injected so that the added graphical elements line up at roughly the correct placement, but this is done through measurements of the glyph, not by studying its source. This generally gives good results, but due to the fact that Stretchy mixes PDF path and glyph painting, PDF consumers do not always produce visually pleasing results at all levels of magnification. This is unavoidable (when using the method used by Stretchy) unfortunately.

2 Stretchy Symbols

Stretchy provides the stretchy symbols listed below.

2.1 Repeated symbols

Stretchy provides methods of repeating symbols, while also adding stretched material to it. These symbols are: $strtyint \{\langle N \rangle\}\{\langle sub \rangle\}$

 $subscript material, respectively. \strtyint differs from \strtyintlimits regarding where the limits are placed. The former places them next to the symbols, the latter above and below.$

For example, $strtyint{5}{}(b R^5) and strtyintlimits{5}{}(b R^5) prints$

$$\iiint \mathbb{R}^5 \qquad \iiint \mathbb{R}^5$$

 $\texttt{strtyoint } \{\langle N \rangle\} \{\langle sup \rangle\} \{\langle sub \rangle\}$

 $\times {\langle N \rangle} {\langle sup \rangle} {\langle sub \rangle}$: This prints N integral signs with a circle stretched out painted on them. sup and sub are the superscript and subscript material respectively. $\times from \times regarding where the limits are placed. The former places them next to the symbols, the latter above and below.$

For example, \strtyoint{5}{}{partial S} and \stryointlimits{5}{}{partial S} prints



 $\operatorname{strtysqint} \{\langle N \rangle\} \{\langle sup \rangle\} \{\langle sub \rangle\}$

 $\times {\langle N \rangle} {\langle sup \rangle} {\langle sub \rangle}$: This prints N integral signs with a square stretched out painted on them. sup and sub are the superscript and subscript material respectively. $\times from$

\strtysqintlimits regarding where the limits are placed. The former places them next to the symbols, the latter above and below.

For example, \strtysqint{5}{}{partial S} and \strysqintlimits{5}{}{partial S} prints



$\texttt{strtyrsqint } \{ \langle N \rangle \} \{ \langle sup \rangle \} \{ \langle sub \rangle \}$

 $strtyrsqintlimits {\langle N \rangle} {\langle sup \rangle} {\langle sub \rangle}$: This prints N integral signs with a rounded square stretched out painted on them. sup and sub are the superscript and subscript material respectively. strtyrsqint differs from strtyrsqintlimits regarding where the limits are placed. The former places them next to the symbols, the latter above and below.

For example, \strtyrsqint{5}{}{partial S} and \stryrsqintlimits{5}{}{prints

$\operatorname{strtytriint} \{\langle N \rangle\} \{\langle sup \rangle\} \{\langle sub \rangle\}$

 $\times {\langle N \rangle} {\langle sup \rangle} {\langle sub \rangle}$: This prints N integral signs with a triangle stretched out painted on them. sup and sub are the superscript and subscript material respectively. $\times trytriint differs from {strtytriintlimits regarding where the limits are placed. The former places them next to the symbols,$ the latter above and below.

For example, \strtytriint{5}{}{\partial S} and \strytriintlimits{5}{}{\partial S} prints

 $1 \{ \langle N \rangle \}$: Prints π with N legs. This can be used for fractions of π . That is, $\mathbb{N} \in \mathbb{N}$ corresponds to the value $2\pi/N$. For example, $\mathbb{N} \in \mathbb{T}$ gives π

2.2 Stretched symbols

Stretchy provides methods of stretching symbols, allowing them to grow arbitrarily large. These symbols are:

 $\quad \left\{ \left(sup \right) \right\} \left\{ \left(sub \right) \right\} \left\{ \left(material \right) \right\}: \text{ This draws an integral sign stretched to match the height and depth of material with superscript and subscript material corresponding to sup and sub respectively.}$

For example <code>\xint {-3}{-2}{\sum_{n=1}^infty n^x,dx}</code> produces

$$\int_{-2}^{-3} \sum_{n=1}^{\infty} n^x \, dx$$

- \xhsum paints a summation symbol stretched horizontally to match the width of its limits;
- \xvsum paints a summation symbol stretched vertically to match the height and depth of *material* with the specified limits;
- \xhvsum paints a summation symbol stretched both horizontally (to match the width of its limits) and vertically (to match the height and depth of *material*).

For example,

```
\xhsum {}{n\in\{2a+3b\;\mid\;a,b\in{\bb Z}\}}{1\over n}
\xvsum {}{n\in\{2a+3b\;\mid\;a,b\in{\bb Z}\}}{{1\over n}}
\xhvsum {}{n\in\{2a+3b\;\mid\;a,b\in{\bb Z}\}}{{1\over n}}
```

$$\sum_{n \in \{2a+3b \mid a, b \in \mathbb{Z}\}} \frac{1}{n}; \qquad \sum_{n \in \{2a+3b \mid a, b \in \mathbb{Z}\}} \frac{1}{n}; \qquad \sum_{n \in \{2a+3b \mid a, b \in \mathbb{Z}\}} \frac{1}{n}$$

- \xhbigcup paints a big-cup symbol stretched horizontally to match the width of its limits;
- \xvbigcup paints a big-cup symbol stretched vertically to match the height and depth of *material* with the specified limits;
- \xhvbigcup paints a big-cup symbol stretched both horizontally (to match the width of its limits) and vertically (to match the height and depth of *material*).

For example,

```
\times the state of the state
```

$$\bigcup_{f \in L^2(\mu), \int f > 0} \left\{ \frac{1}{f}, f \right\}; \qquad \bigcup_{f \in L^2(\mu), \int f > 0} \left\{ \frac{1}{f}, f \right\}; \qquad \bigcup_{f \in L^2(\mu), \int f > 0} \left\{ \frac{1}{f}, f \right\}$$

- \xhbigcap paints a big-cap symbol stretched horizontally to match the width of its limits;
- \xvbigcap paints a big-cap symbol stretched vertically to match the height and depth of *material* with the specified limits;
- \xhvbigcap paints a big-cap symbol stretched both horizontally (to match the width of its limits) and vertically (to match the height and depth of *material*).

For example,

```
\xhbigcap{}{n=1,2,3,\dots}\left[0,{1\over n}\right]
\xvbigcap{}{n=1,2,3,\dots}{\left[0,{1\over n}\right]}
\xhvbigcap{}{n=1,2,3,\dots}{\left[0,{1\over n}\right]}
```



- \xhprod paints a product symbol stretched horizontally to match the width of its limits;
- \xvprod paints a productsymbol stretched vertically to match the height and depth of *material* with the specified limits;
- \xhvprod paints a product symbol stretched both horizontally (to match the width of its limits) and vertically (to match the height and depth of *material*).

For example,

```
\xhprod{}{n=1,2,3,\dots}\left[0,{1\over n}\right]
\xvprod{}{n=1,2,3,\dots}{\left[0,{1\over n}\right]}
\xhvprod{}{n=1,2,3,\dots}{\left[0,{1\over n}\right]}
```

$\prod_{n=1,2,3,\dots} \left[0,\frac{1}{n}\right];$	$\prod \left[0,\frac{1}{n}\right];$	$\boxed{} \begin{bmatrix} 0, \frac{1}{n} \end{bmatrix}$
<i>n</i> =1,2,0,	n=1,2,3,	n=1,2,3,

2.3 Stretchy Logo

Stretchy also provides macros for producing its logo. To produce the logo itself, Stretchy provides the macro \stretchylogo:

Stretchy

To produce the e and t in the Stretchy logo, Stretchy provides the macros \strty@e and \strty@t, whose usages are

 $\times { \langle width \rangle } \\ trty@t { \langle width \rangle } { \langle height+depth \rangle } \\$

For example,

3 Stretchy Internals

Stretchy provides various macros for creating your own stretchy symbols. These all require knowledge regarding the usage of PDF path painting operators. For an in-depth explanation on PDFs and the usage of $pdfT_{EX}$ primitives, you may consult my article here.

3.1 Stretchy Coordinates

All Stretchy painting commands should utilize the Stretchy coordinate system. This is accessed and manipulated via the following macros:

- \strty@p;
- \strty@pd;
- \strty@trans;
- \strty@setpttrans.

Essentially, all these macros do is apply a transformation to the coordinates provided. That is, if you specify a line from (x_0, y_0) to (x_1, y_1) , Stretchy will transform these coordinates according to the Current Stretchy Transformation (CST) T_S , and draw a line from $T_S(x_0, y_0)$ to $T_S(x_1, y_1)$. The idea is similar for cubic Bézier curves (the start, end, and control points are transformed via T).

In order to facilitate this, you must pass the coordinates to \strty@p. That is, instead of doing something like

1 0 0 m 2 10 0 l 3 S

You should do

```
1 \strty@p{0}{0} m
2 \strty@p{10}{0} l
3 S
```

The CST is specified by \strty@trans, which is a macro accepting 2 parameters and must expand to two groups. For example,

1 \def\strty@trans#1#2{{-#2}{#1}}

will rotate all points by 90 degrees.

Stretchy provides some useful macros for basic arithmetic operations.

- \strty@nopt computes a dimension expression, and expands to the result without the trailing pt. For example \strty@nopt{1pt+2pt} will expand to 3.
- \strty@add accepts two parameters (numbers), and expands to their sum.
- \strty@mult accepts two parameters (numbers), and expands to their product.

The definitions of \strty@add and \strty@mult are simply

```
strty-utils.tex
strty-utils.tex
strty-utils.tex
lowercase{\egroup\def\strty@rmpt#1?!{#1}}
```

The definition of \strty@setpttrans is simply

strty-utils.tex

63	\def\strty@pttrans{0.996264	0 0 0.996264	0	0	cm}

that is, it simply multiplies each component by strty@ptm, which is defined to be .996264 (the ratio between T_EX and PDF pts). Let us define this transformation to be T_{pt} .

\strty@pd is a macro accepting four parameters:

 $\time \{\langle x\rangle\} \{\langle y\rangle\} \{\langle dx\rangle\} \{\langle dy\rangle\} \{\langle dy\rangle\}$

it transforms the point (x, y) to $T_S(x, y) + (dx, dy)$ where dx, dy are dimensions. This is useful e.g. in \sqr-tyrsqint, where the rounded edges are a set dimension, and thus the vertical edges must be offset by a set dimension.

3.2 Stretchy Utilities

61 **}}**

In strty-utils.tex, Stretchy defines some useful utilities. Most of these are internal to Stretchy or were discussed previously, but we take the time to discuss one: \strty@scalebox. This accepts two parameters:

 $\t \in \{\langle scale \rangle\} \{\langle material \rangle\}$

and scales material by scale. For example \strty@scalebox{2}{\stretchylogo} will produce



3.3 Repeated Symbols

In strty-repeatedsyms.tex, Stretchy defines all the repeated symbols (listed above) as well as some useful auxillary macros.

 $\t x}{y}{r}:$ This expands to PDF code for drawing a circle centered at (x, y) (dimensions, not affected by the CST) with a radius of r (not a dimension). The axis points of the circle end up being

- right: $T_S(r, 0) + (x, y);$
- left: $T_S(-r, 0) + (x, y);$
- top: $T_S(0,r) + (x,y);$
- bottom: $T_S(0, -r) + (x, y)$.

In order to draw the circle, Stretchy draws four cubic Bézier curves. The value \strty@cd determines the distance of the control points from the axis points of the circle.

 $strty@repeatedsum {\langle name \rangle}{\langle symbol \rangle}{\langle kerning \rangle}$: This defines a macro of name name which accepts a single parameter N, and paints the symbol symbol N times with kerning placed between subsequent symbols. For example,

strty-repeatedsyms.tex

defines the two variants of \strtyint and \strtyintlimits (one for display math and the other for textstyle math). This defines the macros \strty@dint@sym and \strty@tint@sym. For example, \strty@dint@sym{5} paints

 $\times defines a macro of name name which accepts a single parameter N and paints the symbol symbol N times with kerning placed between subsequent symbols. bg code is PDF code placed before painting the symbols, and fg code is PDF code placed after painting the symbols.$

|||||

If the resulting width of painting N symbols is w, then we define T_S to be

$$T_S: (x, y) \mapsto \left(\frac{x(w+dx)}{2}, y \cdot dy\right)$$

that is, T_S stretches the x-axis by a factor of $\frac{w+dx}{2}$ and the y-axis by a factor of dy. For example, strty@dsqint@sym is the symbol for strtysqint in display math, and is defined like so:

```
\strty@extensible{strty@dsqint@sym}{}{
    q
    .5 w
    1 j 1 J
    \strty@p{-1}{1} m
    \strty@p[1}{1} 1
    \strty@p[1}{-1} 1
    \strty@p[-1}{-1} 1
    s
    Q
}{\displaystyle\int}{-2pt}{4pt}{\mkern-10mu}
```

124

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131 132

133 134

 $\times defines two macros, \macro@nolim and \macro@lim which accept three arguments each, N, sup and sub. These then pass N to \macro (which is a repeating macro, e.g. defined by \strty@extensible), and place sup and sub in the super- and subscripts, with kerning according to the parameters given. For example, the definition of \strtyint and \strtyintlimits is$

```
strty-repeatedsyms.tex
61 \strty@repeatedsym{strty@dint@sym}{\displaystyle\int}{\mkern-10mu}
62 \strty@repeatedsym{strty@tint@sym}{\textstyle\int}{\mkern-7mu}
   \strty@createoplims\strty@dint@sym{Omu}{-12mu}{12mu}{-15mu}
63
   \strty@createoplims\strty@tint@sym{Omu}{-7mu}{7mu}{-7mu}
64
65
   \def\strtyint#1#2#3{%
66
67
       \mathchoice%
68
           {\strty@dint@sym@nolim{#1}{#2}{#3}}%
           {\strty@tint@sym@nolim{#1}{#2}{#3}}%
69
           {\strty@tint@sym@nolim{#1}{#2}{#3}}%
70
           {\strty@tint@sym@nolim{#1}{#2}{#3}}%
71
72
  }
73
74 \def\strtyintlimits#1#2#3{%
       \mathchoice%
75
```

```
      76
      {\strty@dint@sym@lim{#1}{#2}{#3}}%

      77
      {\strty@tint@sym@lim{#1}{#2}{#3}}%

      78
      {\strty@tint@sym@lim{#1}{#2}{#3}}%

      79
      {\strty@tint@sym@lim{#1}{#2}{#3}}%
```

- 80]
- (1) lines 61 and 62 define the symbols;
- (2) lines 63 and 64 define the kerning of the super and subscripts;
- (3) the rest define the actual macros.

3.4 Stretched Symbols

Stretchy provides the following auxiliary macros for creating stretched symbols.

 $\t \in \{(name)\} \{ (left)\} \{ (right)\} \{ (code)\} :$ This defines a macro named *name* which accepts a parameter w, and creates a symbol of width w. This symbol consists of (from left to right):

- (1) the material *left*;
- (2) the code *code*;
- (3) the material *right*.

The CST is set to be the composition of T_{pt} with

$$(x, y) \mapsto ((w - w_l - w_r) \cdot x + w_l, y)$$

where w_l, w_r are the widths of *left* and *right*, respectively. That is, (0,0) is mapped to $(w_l,0)$, (1,0) is mapped to $(w - w_r, 0)$, and (0,1) is mapped to (0,1). So the left side of *code* maps to w_l (the edge of *left*), and the right side to $w - w_r$ (the edge of *right*).

- $\times a macro named name which accepts a parameter h, and creates a symbol of height h. This symbol consists of (from top to bottom):$
 - (1) the material *top*;
 - (2) the code *code*;
 - (3) the material *bottom*.

The CST is set to be the composition of T_{pt} with

$$(x, y) \mapsto (x, (d - h_t - h_b) \cdot y + h_b)$$

where h_t, h_b are the heights of *top* and *bottom*, respectively. That is, (0,0) is mapped to $(0, h_b)$, (1,0) is mapped to (1,0), and (0,1) is mapped to $(0, d - h_t)$. So the top of *code* maps to $d - h_t$ (the bottom of *top*), and the bottom to h_b (the top of *bottom*).

 $\time{try@hvstretch {(name)}{(tl)}{(tr)}{(bl)}{(vr)}$

$$\begin{pmatrix} tl & top \ code & tr \\ mid \ code \\ bl & bot \ code & br \end{pmatrix}$$

The transformations for each code are as follows:

• top code: let w_{tl}, w_{tr} be the widths of tl and tr respectively. Then T_S is the composition of T_{pt} with

$$(x, y) \mapsto ((w - w_{tl} - w_{tr}) \cdot x + w_{tl}, y)$$

that is, the left side of top code maps to w_{tl} , and the right side to $w - w_{tr}$.

• bot code: let w_{bl}, w_{br} be the widths of bl and br respectively. Then T_S is the composition of T_{pt} with

$$(x, y) \mapsto ((w - w_{bl} - w_{br}) \cdot x + w_{bl}, y)$$

that is, the left side of top code maps to w_{bl} , and the right side to $w - w_{br}$.

• *mid code*: let h_t, h_b be the heights of the top and bottom materials, respectively. Then T_S is the composition of T_{pt} with

$$(x,y) \mapsto (w \cdot x, (h-h_t-h_b) \cdot y + h_b)$$

 \mathbf{SO}

- (0,0) (the bottom left of *mid code*) maps to $(0, h_b)$ (the top left of the bottom material);
- (1,0) (the bottom right) maps to (w, h_b) (the top right of the bottom material);
- (0,1) (the top left) maps to $(0, h h_t)$ (the bottom left of the top material);
- (1,1) (the top right) maps to $(w, h h_t)$ (the bottom right of the top material).

To create a stretched symbol, there are four steps:

- (1) precisely measure the dimensions of the glyph you're making stretchy;
- (2) crop the glyph where you want (either using form XObjects, or clipping paths);
- (3) use \strty@XXstretch (XX ∈ {h,v,hv}) on the cropped sections of the glyph, as well as the code to connect them. This creates a stretchable symbol;
- (4) define macro to get the material (super-, sub-script, and main material) and compute the dimensions to stretch the symbol to.

For example, we can measure (textstyle) \prod to get the (rough) dimensions of the strokes



Now we can create our own stretched \prod , with the following code:

21		h
22		f
23	}%	
24	{}%	
25	{%	connecting vertical lines
26		\strty@pd{0}{0}{1.59pt}{0pt} m
27		\strty@pd{0}{1}{1.59pt}{0pt} 1
28		\strty@pd{0}{1}{2.56pt}{0pt} 1
29		\strty@pd{0}{0}{2.56pt}{0pt} 1
30		h
31		f
32		\strty@pd{1}{0}{-2.574pt}{0pt} m
33		\strty@pd{1}{1}{-2.574pt}{0pt} 1
34		\strty@pd{1}{1}{-1.604pt}{0pt} 1
35		<pre>\strty@pd{1}{0}{-1.604pt}{0pt} 1</pre>
36		h
37		f
38	}	

Doing then <code>\stretchedprod{20pt}{20pt}</code>, will give, for example: $\hfill \label{eq:20pt}$

The rest of the code to get the dimensions of the limits and main material and pass to **\stretchedprod**is standard.